



MURANG'A UNIVERSITY OF TECHNOLOGY

SCHOOL OF BUSINESS & ECONOMICS

DEPARTMENT OF COMMERCE

UNIVERSITY ORDINARY EXAMINATION

2018/2019 ACADEMIC YEAR

**THIRD YEAR SECOND SEMESTER EXAMINATION FOR, BACHELOR OF
COMMERCE**

AMS 333- QUANTITATIVE METHODS

DURATION: 2 HOURS

DATE: 18/4/2019

TIME: 2-4 P.M

Instructions to candidates:

1. Answer question One and Any Other Two questions
2. Mobile phones are not allowed in the examination room.
3. You are not allowed to write on this examination question paper.

SECTION A: ANSWER ALL QUESTIONS IN THIS SECTION

QUESTION ONE (30 MARKS)

- a) Briefly describe the term probability. (2marks)
- b) List and explain four environments under which decisions are made(8marks)
- c) A bias coin is tossed twice. The coin is such that the tail is twice as likely as the head. Provide a probability tree diagram and hence find the probability of getting two heads. (5marks)
- d) List five assumptions made under linear programming. (5marks)
- e) Given the following payoff table and probability distribution for S, calculate expected monetary value(EMV) and expected opportunity loss(EOL)(10marks)

State	ACT			Probability
	A ₁	A ₂	A ₃	
S ₁	8	10	5	P(S ₁)=0.2
S ₂	15	12	10	P(S ₂)=0.3
S ₃	20	12	5	P(S ₃)=0.1
S ₄	2	5	20	P(S ₄)=0.4

SECTION B – ANSWER ANY TWO QUESTIONS IN THIS SECTION

QUESTION TWO (20 MARKS)

In its production process, firm A produces juice and bread. The contribution of each product is based on the accounting department is sh20.00 per litre of juice and sh30.00 per loaf of bread. Both products are processed on three machines M₁,M₂and M₃,the time required by each product and total time available per week on each machine is given in the table below:

Machine	Juice	Bread	Available hrs
M ₁	3	3	36
M ₂	5	2	50
M ₃	2	6	60

- a) Formulate the linear programming problem in the standard way given that the manufacturer wants to maximize contribution. (4marks)
- b) Use graphical method to solve the LP problem and advice the company on the best production mix. (6marks)
- c) Discuss five applications of markov process. (10marks)

QUESTION THREE (20 MARKS)

a) Solve the following matrices through the various operations:

$$A = \begin{bmatrix} 3 & 7 \\ 4 & 2 \end{bmatrix} \quad B = \begin{bmatrix} 3 & -2 \\ 7 & 6 \end{bmatrix} \quad C = \begin{bmatrix} 2 & 4 \\ 3 & 2 \\ 5 & 6 \end{bmatrix}$$

- i. $A+B$(2marks)
 - ii. $B-A$(2marks)
 - iii. $A+C$(2marks)
 - iv. $C*A$(2marks)
- b) Two radio stations R_1 and R_2 compete for audioship. Of those who listen to R_1 on a given week, 40% listen to R_2 the next week. In case of those who listen to R_2 on a given week, 30% switch over to R_1 the next week. This week market share of listeners is $R_1 = 60%$, while R_2 the rest. Required:

Determine the percentage of listeners for each station:

- i. Next week.....(4marks)
- ii. Next week but one.....(3marks)
- iii. In the long run.....(5marks)

QUESTION FOUR (20 MARKS)

- a) A game is played by tossing a six sided dice twice whose two faces are painted green while the rest yellow. If you get a yellow face you lose sh30 but if you get a green face you earn sh50. using a probability tree diagram or otherwise, determine how much one should expect to earn from such a game. (6marks)
- b) Define the following terms:
 - i. Markov analysis
 - ii. State probability
 - iii. Mutually exclusive event (6marks)
- c) An agricultural economy in a developing country has three industries coffee, dairy and horticulture. The proportion of the inputs required by each industry to produce a unit of output are shown in the table below:

		<u>INPUTS</u>		
		Coffee	Dairy	Horticulture
<u>OUTPUTS</u>	Coffee	0.1	0.3	0.2
	Dairy	0.2	0.3	0.4
	Horticulture	0.5	0.3	0.3

The coffee industry receives 540,000 units of primary inputs, dairy receives 400,000 units of primary inputs and horticulture receives 450,000 units of primary inputs: Required:

- i The total output of each industry
- ii The final demand of each industry. (8marks)